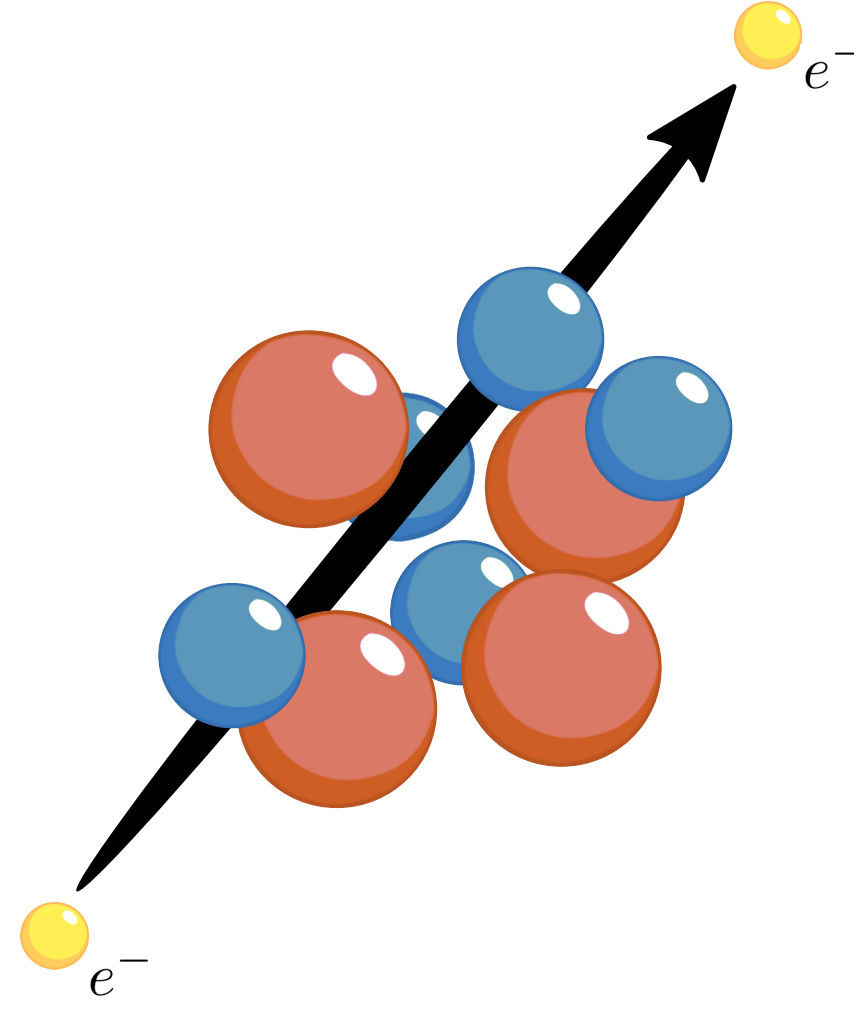


## Dileptons

- Lepton-antilepton pair from the same origin
- No interaction via strong force, therefore:
  - ✦ Leave the hadronic medium undisturbed 👍
  - ✦ Multi-messenger for the whole evolution 👍
  - ✦ Very rare:  $BR(h \rightarrow l^+l^-) \sim 10^{-5}$  🙄
- Combinatorial background 🙄



## SMASH

Simulating Many Strongly-interacting Hadrons

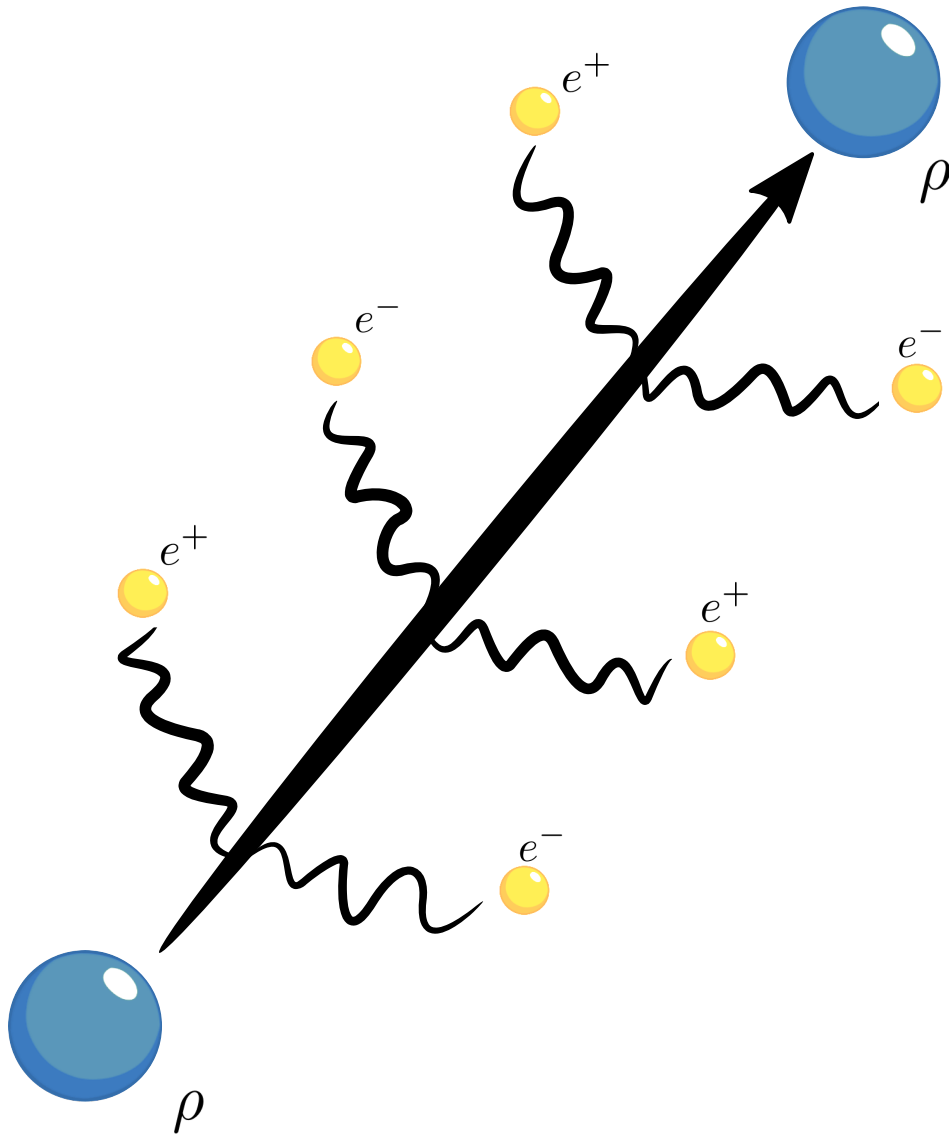
- Hadronic transport: evolve hadrons w/ relativistic Boltzmann equation
- Scatterings determined geometrically from "bottom-up" cross sections
- Rate for hadronic decays corresponds to mass-dependent vacuum width

$$\pi d_{\text{trans}}^2(a, b) < \sigma_{\text{tot}}(a, b) = \sum_R \sigma_{ab \rightarrow R} + \sum_{cd} \sigma_{ab \rightarrow cd}$$

$$\frac{\text{Prob}(R \text{ decays in } \Delta t)}{\Delta t} = \Gamma_R^{\text{vac}}(m) = \sum_{ab} \Gamma_{R \rightarrow ab}(m)$$

- Dileptons are rare  $\Rightarrow$  Perturbative emission [1]

$$N_{R \rightarrow l^+l^-}(\tau) = \int_{t_i}^{\tau-t_i} \frac{dt}{\gamma} \Gamma_{R \rightarrow l^+l^-}$$



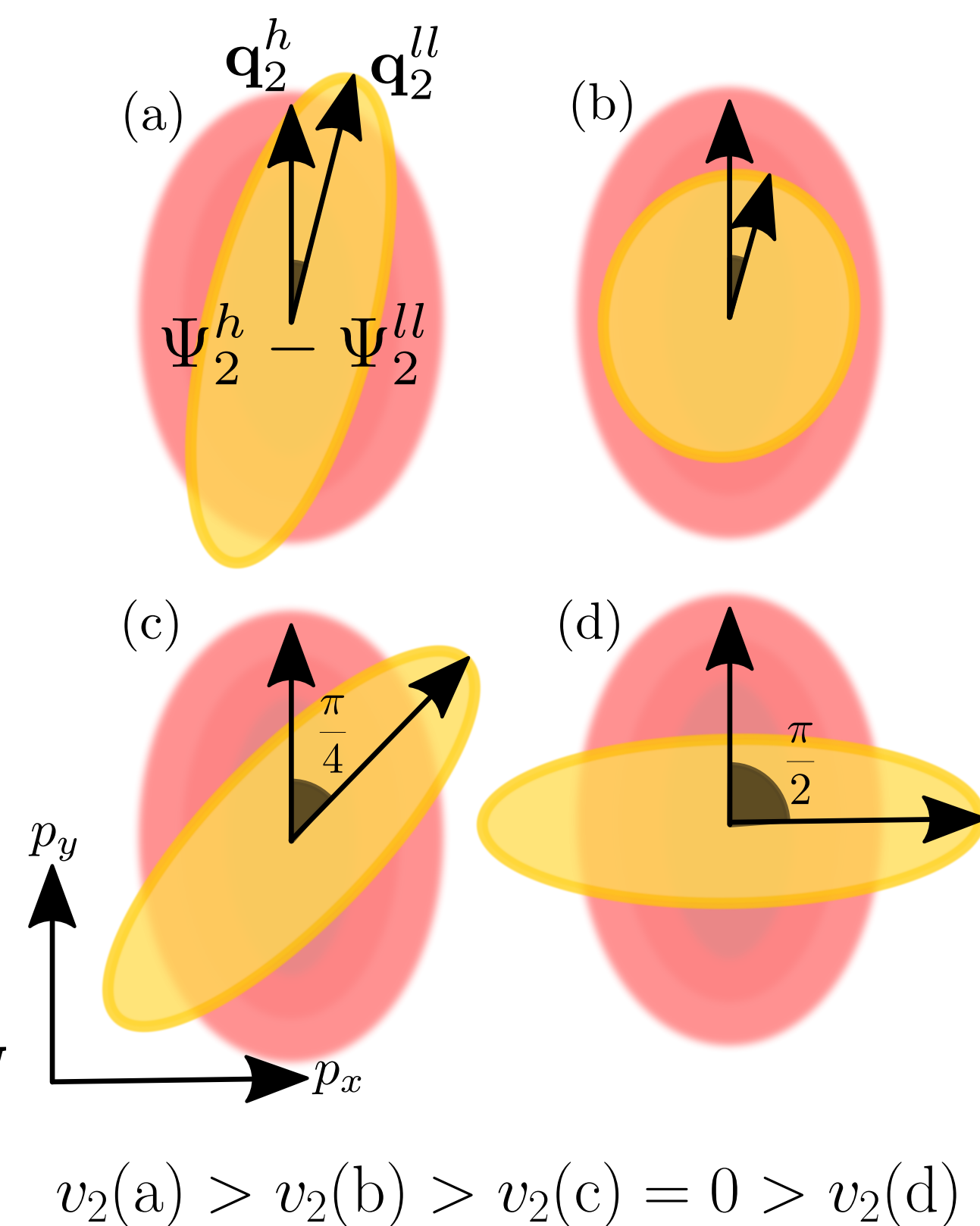
- At every timestep,  $R$  emits a dilepton with the corresponding shining weight
- Caveat: collisional broadening does not account for full medium modification in the resonance region [2]

## Anisotropic flow

- Particle yields can be Fourier decomposed in azimuthal momentum:
 
$$\frac{dN}{d\phi} \propto 1 + 2 \sum_{n=1}^{\infty} v_n \cos[n(\phi - \Psi_R)]$$
- Anisotropic flow coefficient  $v_n = \langle \cos[n(\phi - \Psi_R)] \rangle$
- Reaction plane angle  $\Psi_R$ : span { impact parameter, beam direction }
  - ✦ Sometimes cannot be reconstructed  $\Leftarrow$  scalar product method
  - ✦ In each event the momentum of each particle is correlated with an event flow vector  $\mathbf{q}_n$ , computed with the remaining particles
- Dileptons: rare + combinatorics
- Measuring correlations between two dileptons may be unfeasible
- Correlate the dilepton flow with the hadron flow! [3]

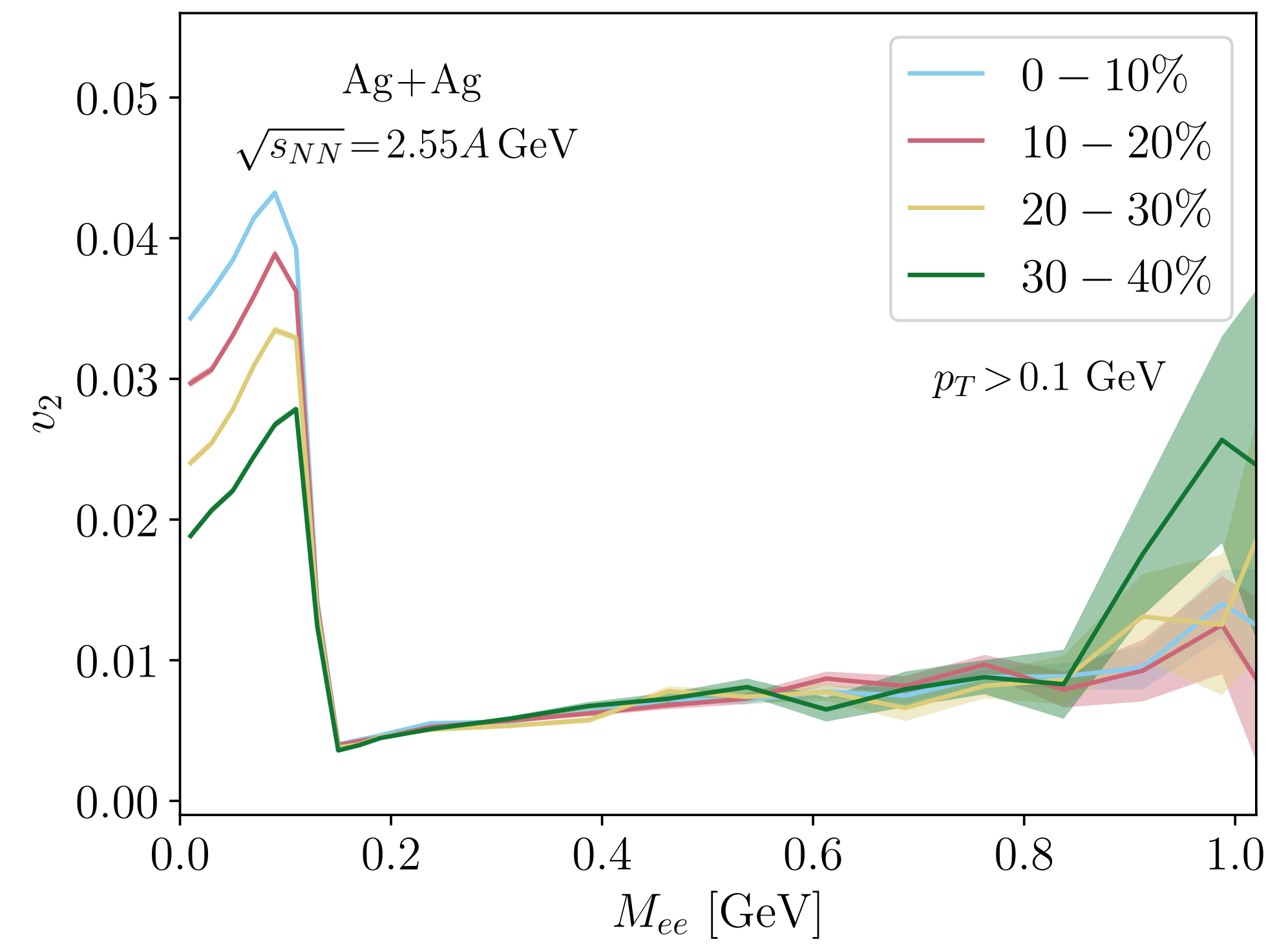
$$v_2^{ll}(X) = \frac{\langle |\mathbf{q}_n^h| |\mathbf{q}_n^{ll}(X)| \cos[n(\Psi_n^h - \Psi_n^{ll})] \rangle_{\text{ev}}}{\sqrt{\langle |\mathbf{q}_n^h|^2 \rangle_{\text{ev}}}}$$

- Dileptons in bin X (time integrated), hadrons in large bin (final state)
- Smaller dilepton statistic needed 🙄
- Sign can be recovered from hadron flow
- Usual geometric interpretation lost

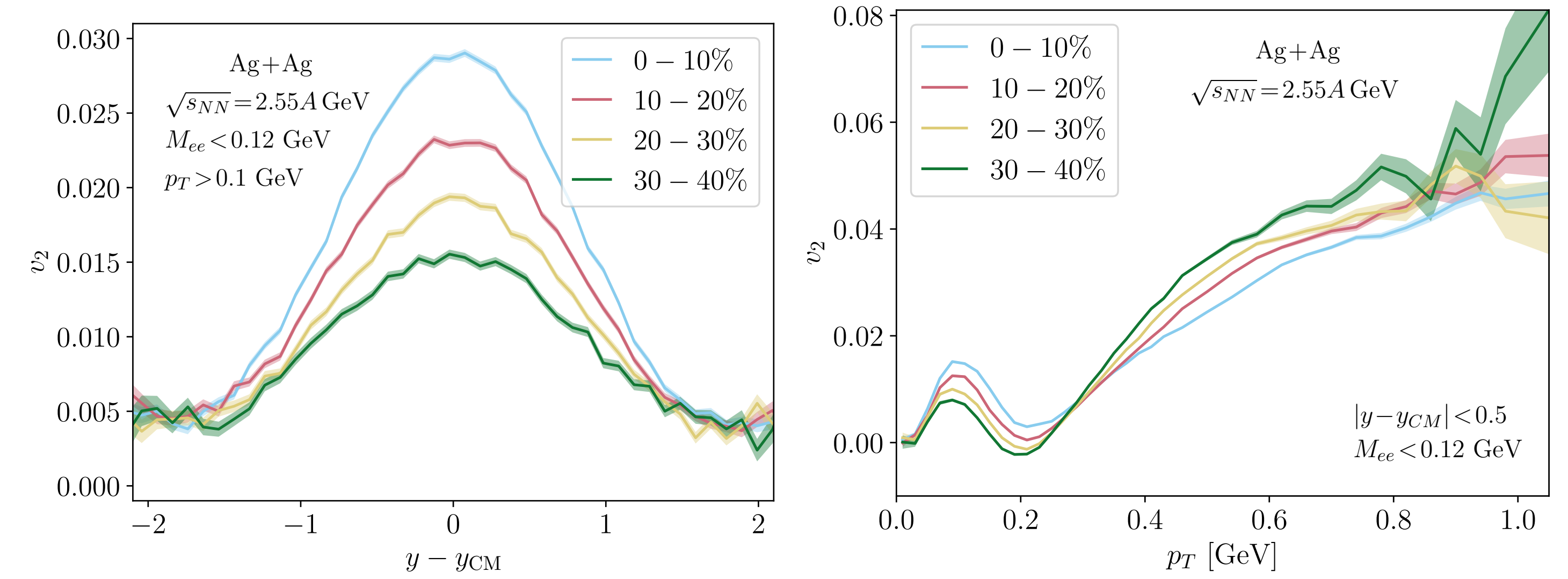


$$v_2(a) > v_2(b) > v_2(c) = 0 > v_2(d)$$

## Initial results

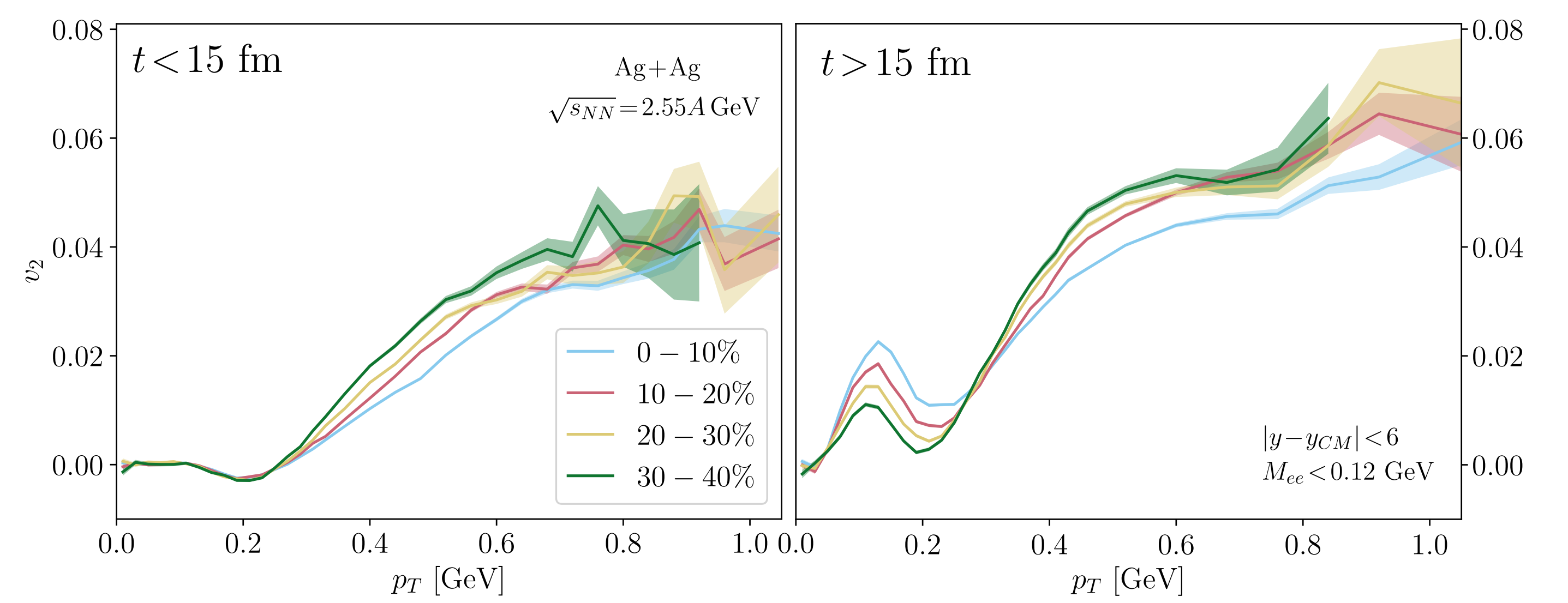


- Significant flow below the pion mass, from Dalitz decays  $\pi^0 \rightarrow \gamma e^+ e^-$
- Little to no flow in resonance region
- Overall consistency to HADES preliminary results 👍
- Reverse centrality dependence from expected 🙄



- Proportional to dilepton yield at midrapidity
- No pions beyond  $|y - y_{\text{CM}}| \sim 2$  (HADES preliminary)
- Peak structure at low  $p_T$
- Centrality dependence flips at  $p_T \sim 0.3$  GeV
- No impact by cut in midrapidity

## Time dependence



- This system becomes dilute at around  $t \sim 15$  fm [2]
- In the dense stage, there is no peak
- In the dilute stage, the peak arises and flow is higher at all  $p_T$
- Non-flow (momentum conservation;  $\Delta \rightarrow N\pi$ ) or spurious correlation?

## Outlook

- First  $v_2$  result from hadronic transport
- Dilepton-hadron correlation may reduce needed statistical power
- Compare to pion flow, dilepton-dilepton correlations, and reaction plane
- Predictions! Other systems,  $v_1, v_3$ , etc.

## References

- [1] Jan Staudenmaier, et al. (2018). Phys. Rev. C 98(5), 054908. [1711.10297]
- [2] Renan Hirayama, Jan Staudenmaier, and Hannah Elfner (2023). Phys. Rev. C 107(2), 025208 [2206.15166]
- [3] Jean-François Paquet, et al (2016). Phys. Rev. C 93(4), 044906. [1509.06738]
- [4] Alexandr Prozorov for HADES (2022). "Neutral mesons flow and yields in AgAg@1.58 A GeV at HADES". FAIRness workshop, Greece.