

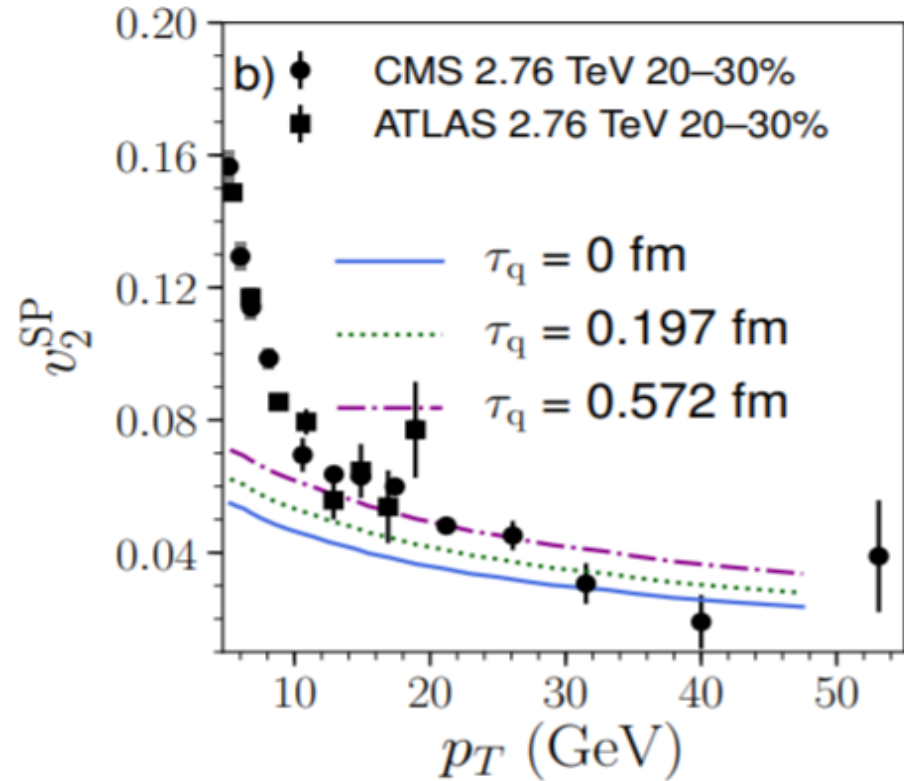
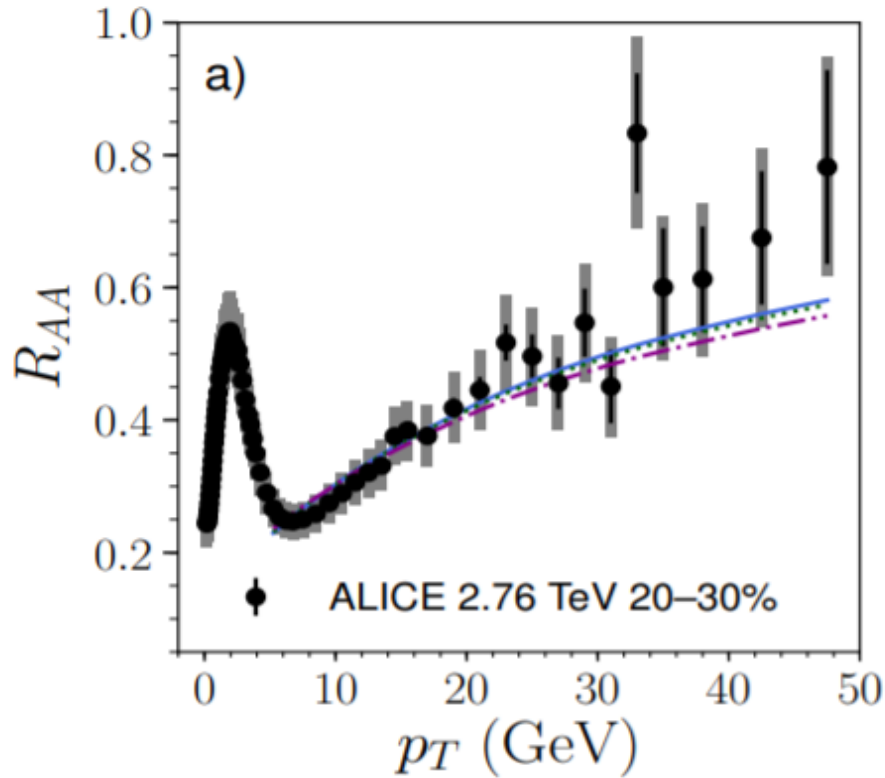
Impact of pre-equilibrium dynamics on jet quenching observables

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Hard Probes 2023, 29th March 2023

Carlota Andres, Liliana Apolinário, Fabio Dominguez, MGM,
Carlos A. Salgado: JHEP 03 (2023) 189



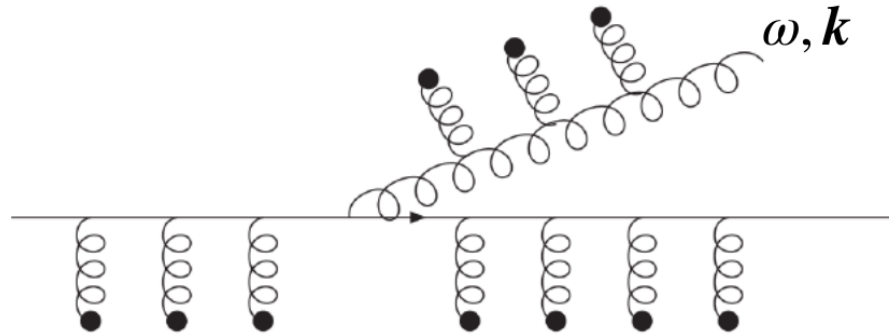
Why study initial stages?



R_{AA} and high- p_t v_2 very sensitive to energy loss in the initial stages

Energy loss

- Jet quenching: partons interact with QGP and lose energy



- Two available analytical approximations
 - Harmonic oscillator: multiple soft scatterings
 - First opacity or GLV approximation: one single hard scattering

Medium-induced gluon spectrum

- Soft gluon emission spectrum off a hard parton (BDMPS-Z):

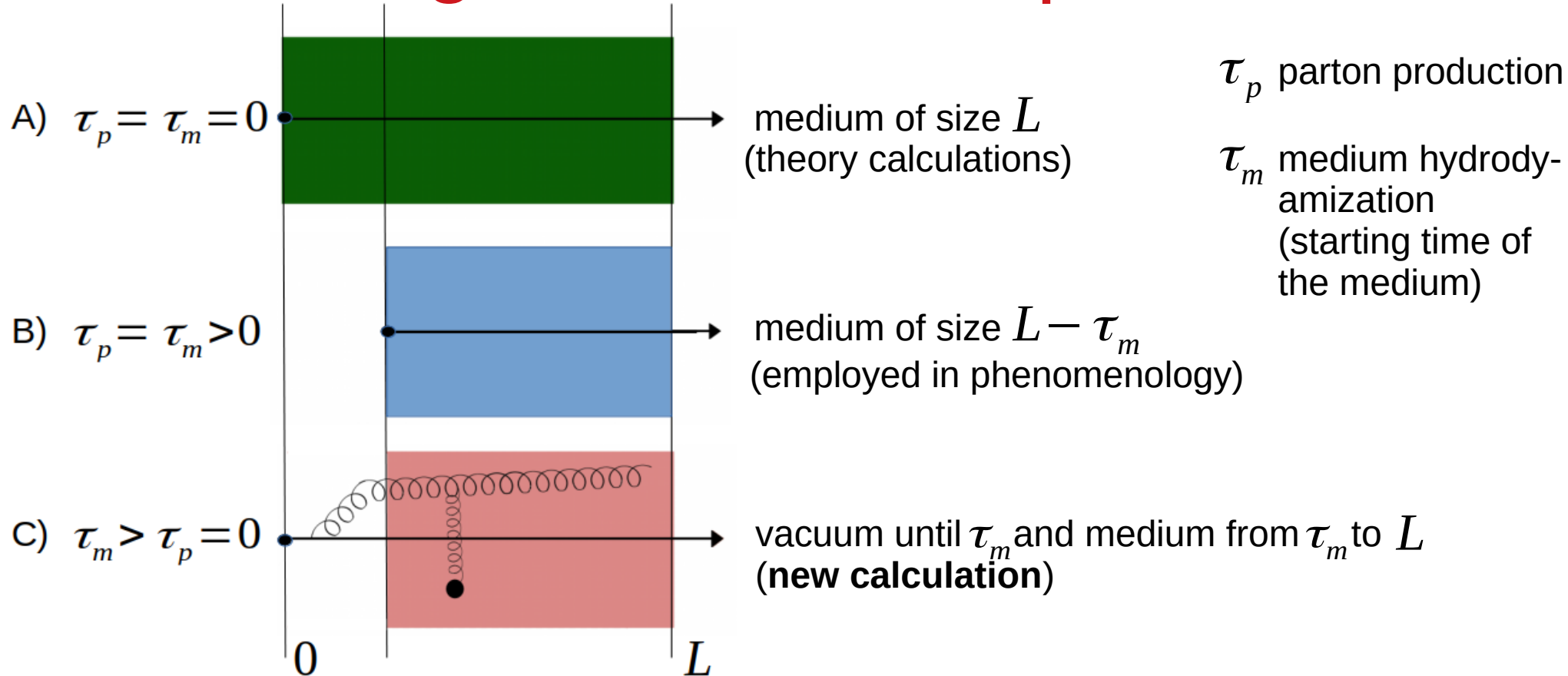
$$\omega \frac{dI}{d\omega d^2\mathbf{k}} = \frac{2\alpha_s C_R}{(2\pi)^2 \omega^2} \text{Re} \int_0^\infty dt' \int_0^{t'} dt \int_{\mathbf{p}\mathbf{q}} \mathbf{p} \cdot \mathbf{q} \tilde{\mathcal{K}}(t', \mathbf{q}; t, \mathbf{p}) \mathcal{P}(\infty, \mathbf{k}; t', \mathbf{q})$$

- Recently, new method with no approximations. Full solution obtained numerically by solving two differential equations

$$\partial_\tau \mathcal{P}(\tau, \mathbf{k}; s, l) = -\frac{1}{2} n(\tau) \int_{\mathbf{k}'} \sigma(\mathbf{k} - \mathbf{k}') \mathcal{P}(\tau, \mathbf{k}'; s, l)$$

$$\partial_t \tilde{\mathcal{K}}(s, \mathbf{q}; t, \mathbf{p}) = \frac{i\mathbf{p}^2}{2\omega} \tilde{\mathcal{K}}(s, \mathbf{q}; t, \mathbf{p}) + \frac{1}{2} n(t) \int_{\mathbf{k}'} \sigma(\mathbf{k}' - \mathbf{p}) \tilde{\mathcal{K}}(s, \mathbf{q}; t, \mathbf{k}')$$

Initial stages in medium production



All the emissions are **medium induced**, pure vacuum already subtracted

Some details of the calculation

- Full spectrum: easy to perform numerical evaluation (we can use any density profile we want)
- Analytical approaches:
 - GLV: difference between cases A and C is the spectrum of case A for a medium of size τ_m , non trivial result! **New energy scale** $\bar{\omega}_m \equiv \frac{1}{2}\mu^2\tau_m = \bar{\omega}_c \frac{\tau_m}{L}$
 - HO: smaller differences. **New energy scale** $\omega_m \equiv \frac{1}{2}\hat{q}_0\tau_m^2 = \omega_c \frac{\tau_m^2}{L^2}$
- Initial stages effects specially **relevant for small gluon energies**, that is, for small gluon formation times. For large formation times initial stages are not relevant

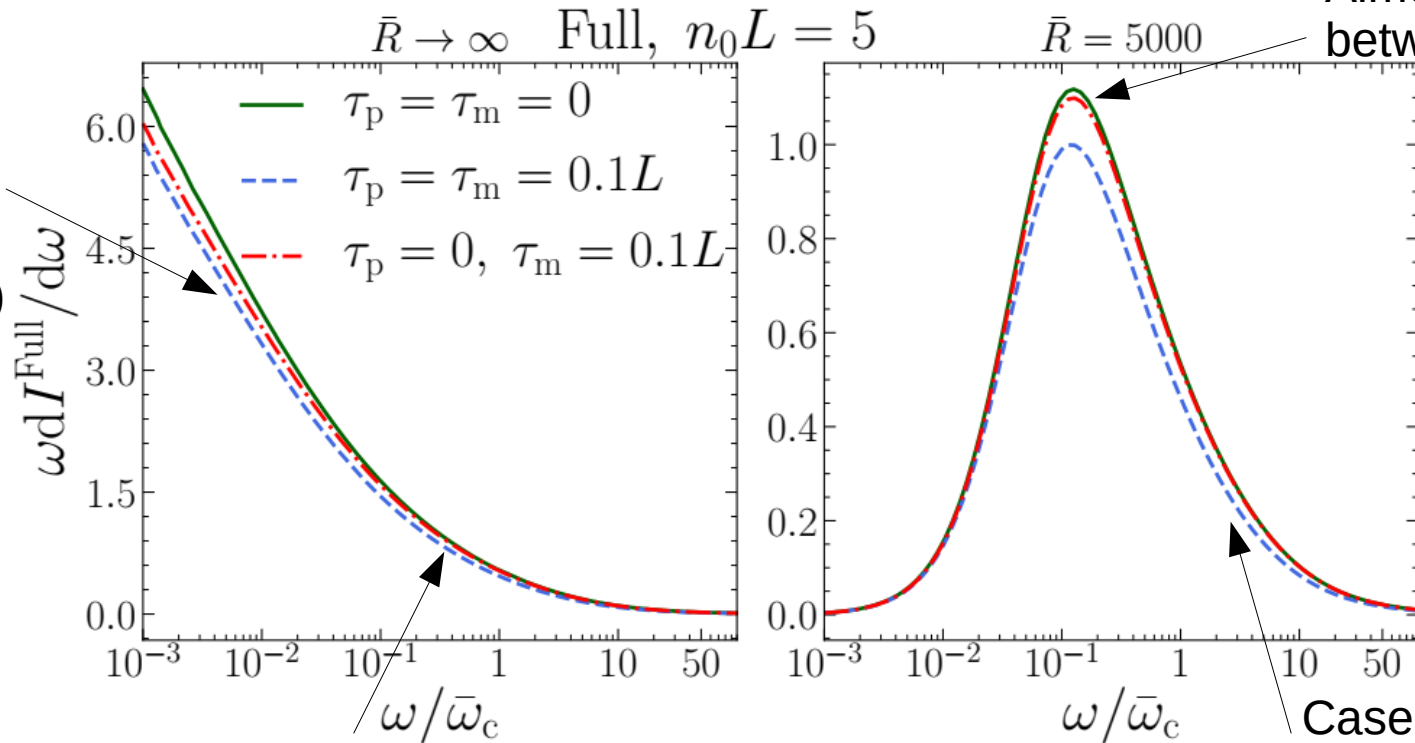
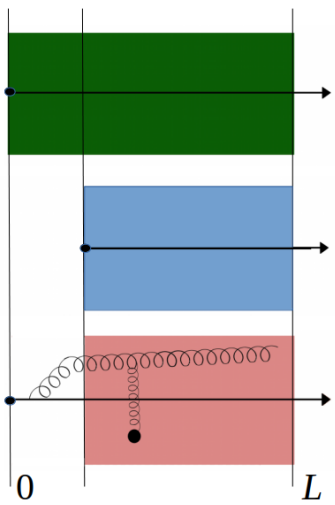
$$\omega \frac{dI}{d\omega} = \int_0^{\omega} \omega' \frac{dI}{d\omega' d^2k}$$

$$\bar{\omega}_c = \frac{1}{2} \mu^2 L$$

Results: full with small τ_m

\bar{R} : kinematical cut-off

Differences for small energies (small gluon formation times)



Almost no difference between A) and C)

High energies: having vacuum or medium in initial stages gives the same result

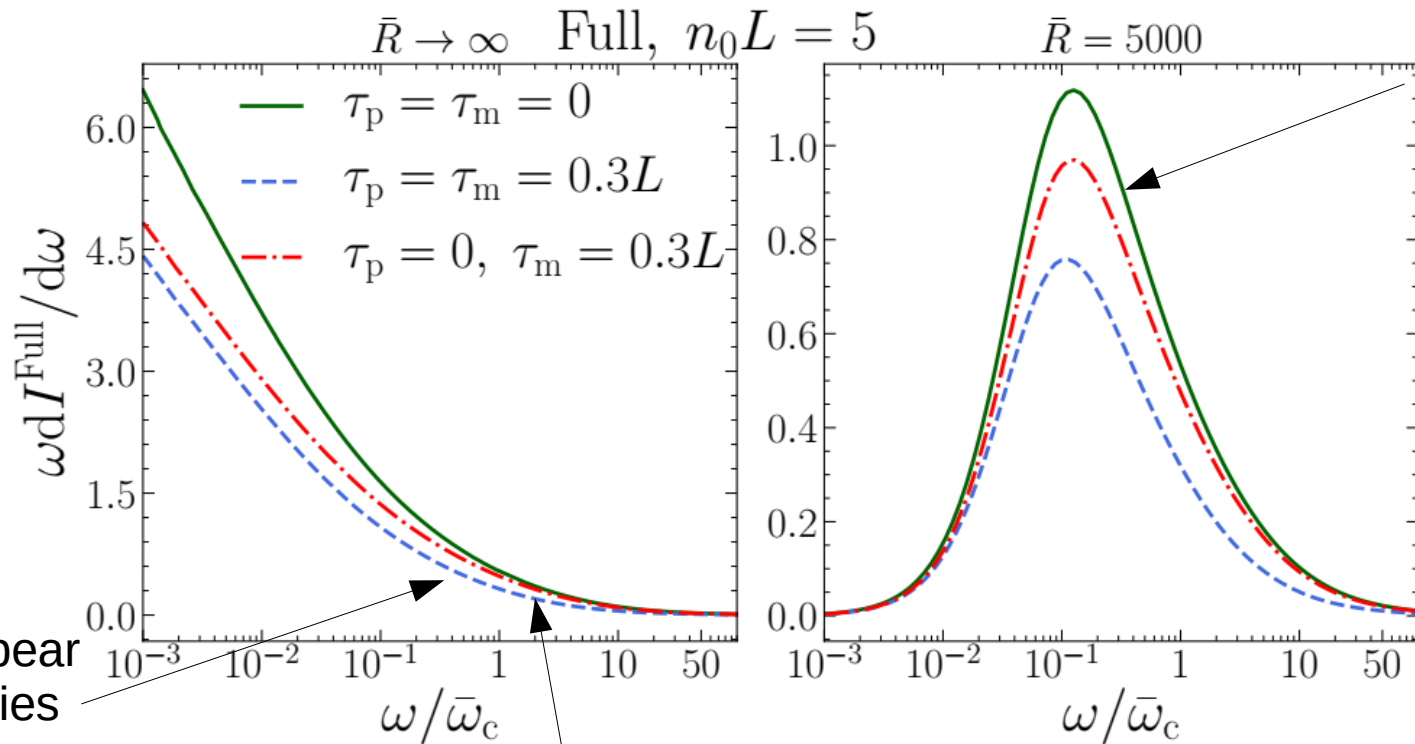
Case B) (neglect initial stages) always smaller than the other two

$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega' \frac{dI}{d\omega' d^2k}$$

$$\bar{\omega}_c = \frac{1}{2} \mu^2 L$$

Results: full with big τ_m

\bar{R} : kinematical cut-off



Clear separation between cases

Differences appear at higher energies

High energy tail of A) and C) agrees

Azimuthal asymmetry estimation

- Energy loss quantified with quenching weights (**independent emissions**)
- They are used to compute quenching factor (ratio of the partonic medium and vacuum spectra)

$$Q_i(p_T) = \frac{d\sigma^{\text{AA}}(p_T)/dp_T}{d\sigma^{\text{PP}}(p_T)/dp_T} = \int d\epsilon P(\epsilon) \frac{d\sigma^{\text{PP}}(p_T + \epsilon)/dp_T}{d\sigma^{\text{PP}}(p_T)/dp_T}$$

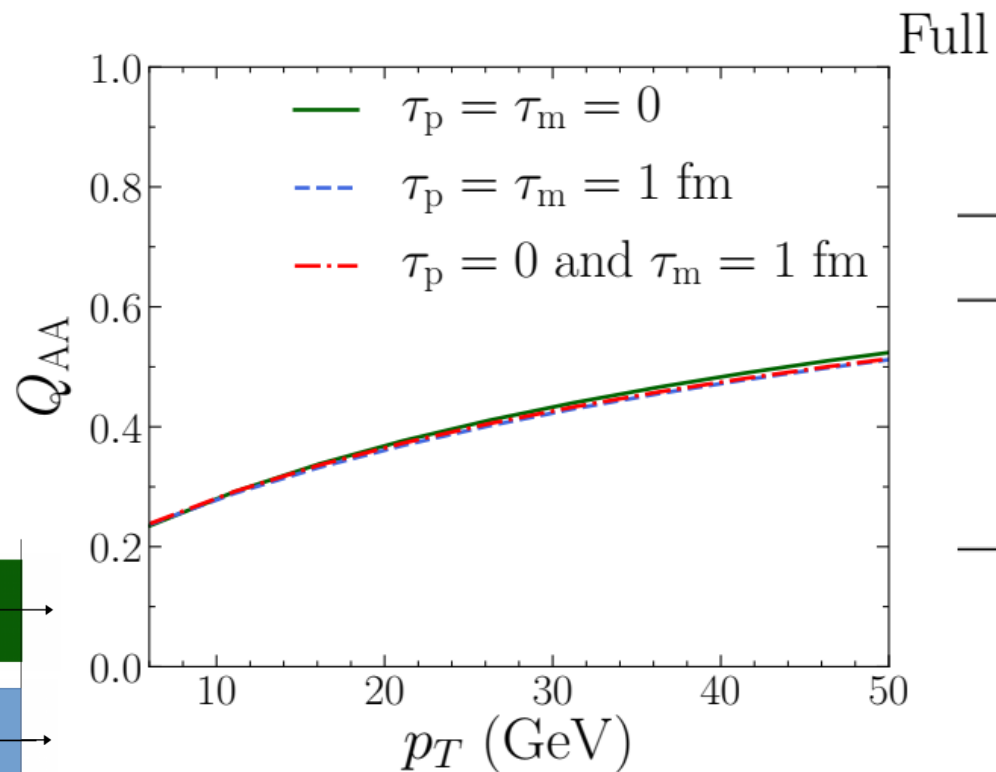
- Partonic spectrum given by power law $d\sigma^{\text{PP}}/dp_T \propto p_T^{-n}$
- Inclusive suppression of charged particles estimated as the average of the quenching factor along the in-plane and out-of-plane directions

$$Q_{\text{AA}}(p_T) = \frac{Q_q^{\text{in}}(p_T) + Q_q^{\text{out}}(p_T)}{2}$$

- High momentum azimuthal asymmetry approximated by

$$w_2 = \frac{1}{2} \frac{Q_q^{\text{in}}(p_T) - Q_q^{\text{out}}(p_T)}{Q_q^{\text{in}}(p_T) + Q_q^{\text{out}}(p_T)}$$

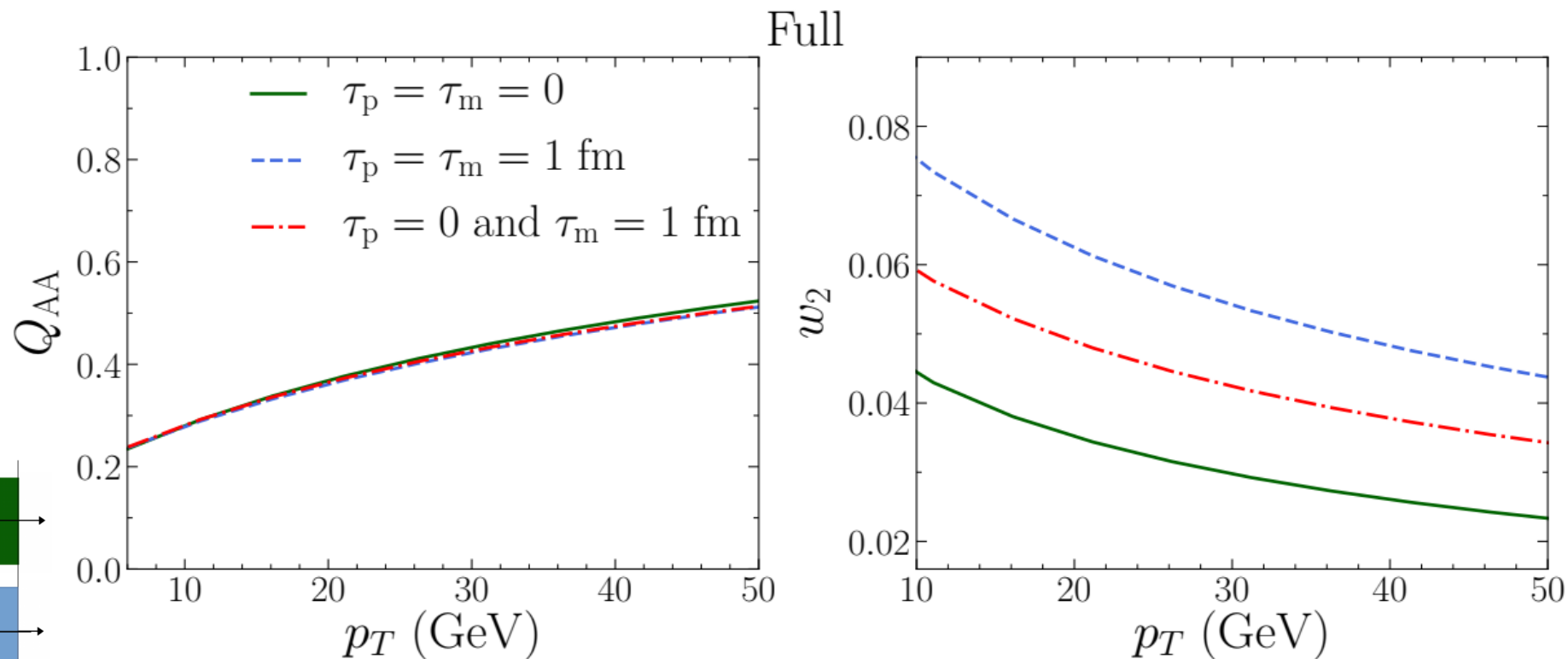
Azimuthal asymmetry: full spectrum



Fitting parameter results

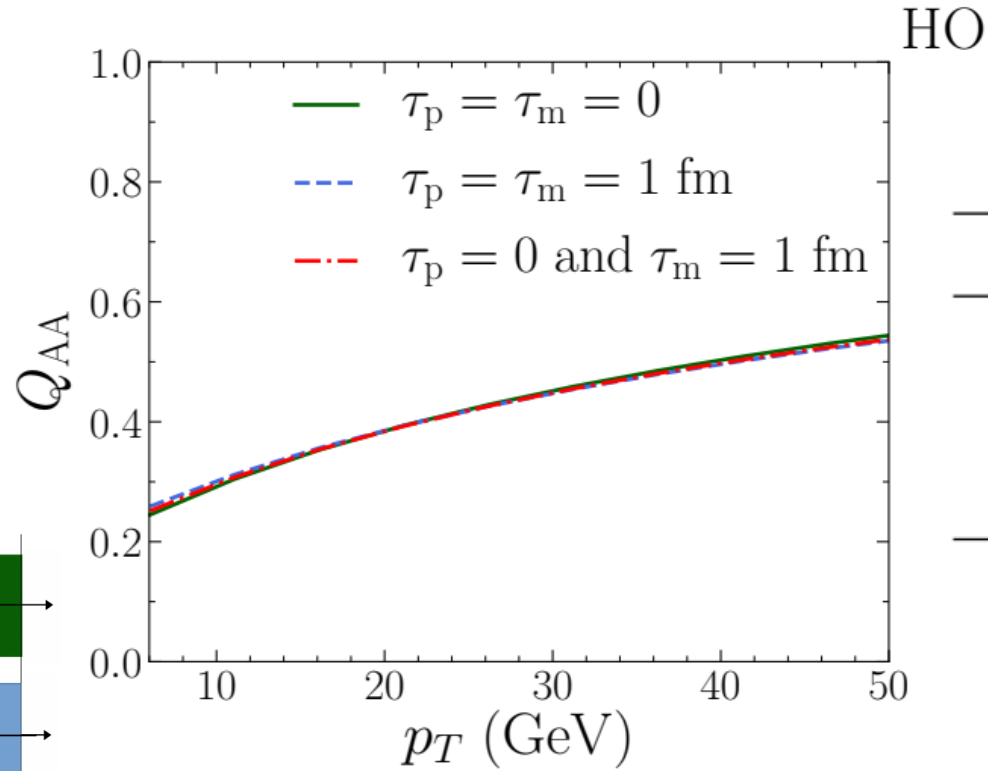
Case	C_1
A: $\tau_p = \tau_m = 0$ fm	2.2
B: $\tau_p = \tau_m = 1$ fm	4.5
C: $\tau_p = 0$ and $\tau_m = 1$ fm	2.5

Azimuthal asymmetry: full spectrum



Combination of two observables is very sensitive to early stage scenario 11

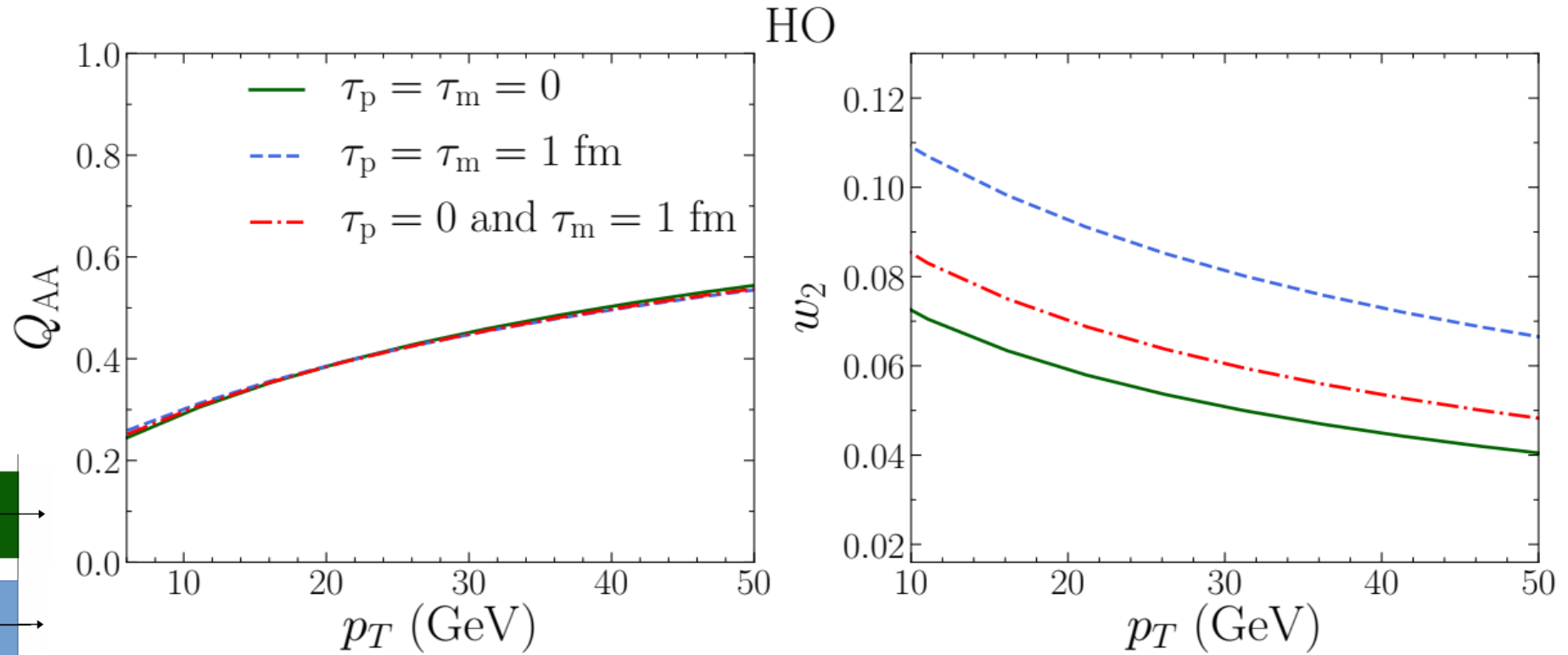
Azimuthal asymmetry: HO



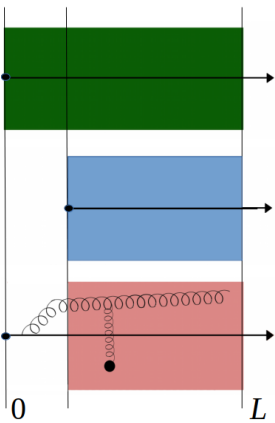
Fitting parameter results

Case	K_1
A: $\tau_p = \tau_m = 0$ fm	1.5
B: $\tau_p = \tau_m = 1$ fm	16
C: $\tau_p = 0$ and $\tau_m = 1$ fm	8

Azimuthal asymmetry: HO



Combination of two observables is very sensitive to early stage scenario ¹³



Summary

- We computed the effects of initial stages in medium-induced radiation
- Small starting times of the medium: (almost) no difference between having or not having propagation before the start of the medium
- Large differences for big hydrodynamization times
- New energy scales determine the regions where initial stages are important
- We showed the importance of correctly accounting for the energy loss in the initial stages for the simultaneous description of the R_{AA} and high- p_t azimuthal asymmetry
- Full spectrum gives more robust results than HO

Thanks!

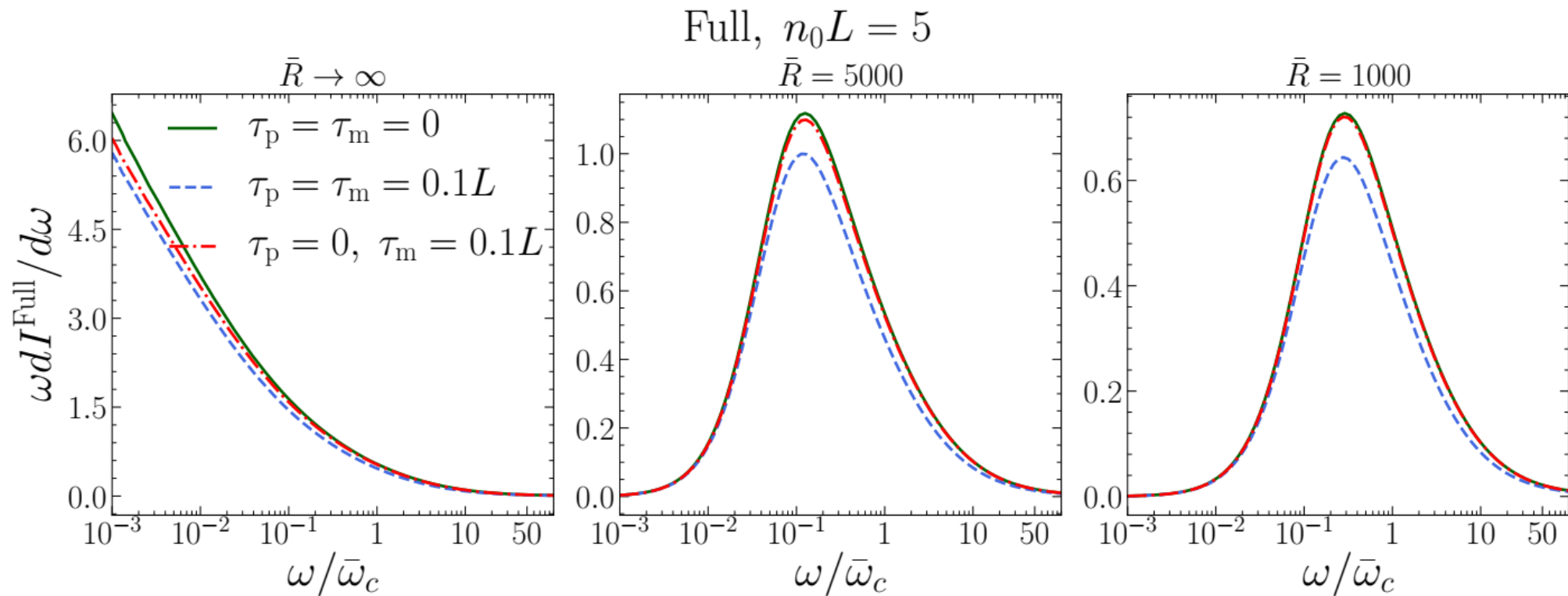
Back up

$$\bar{\omega}_c = \frac{1}{2}\mu^2 L$$

$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega' \frac{dI}{d\omega' d^2k}$$

Results full spectrum 1

\bar{R} : kinematical cut-off

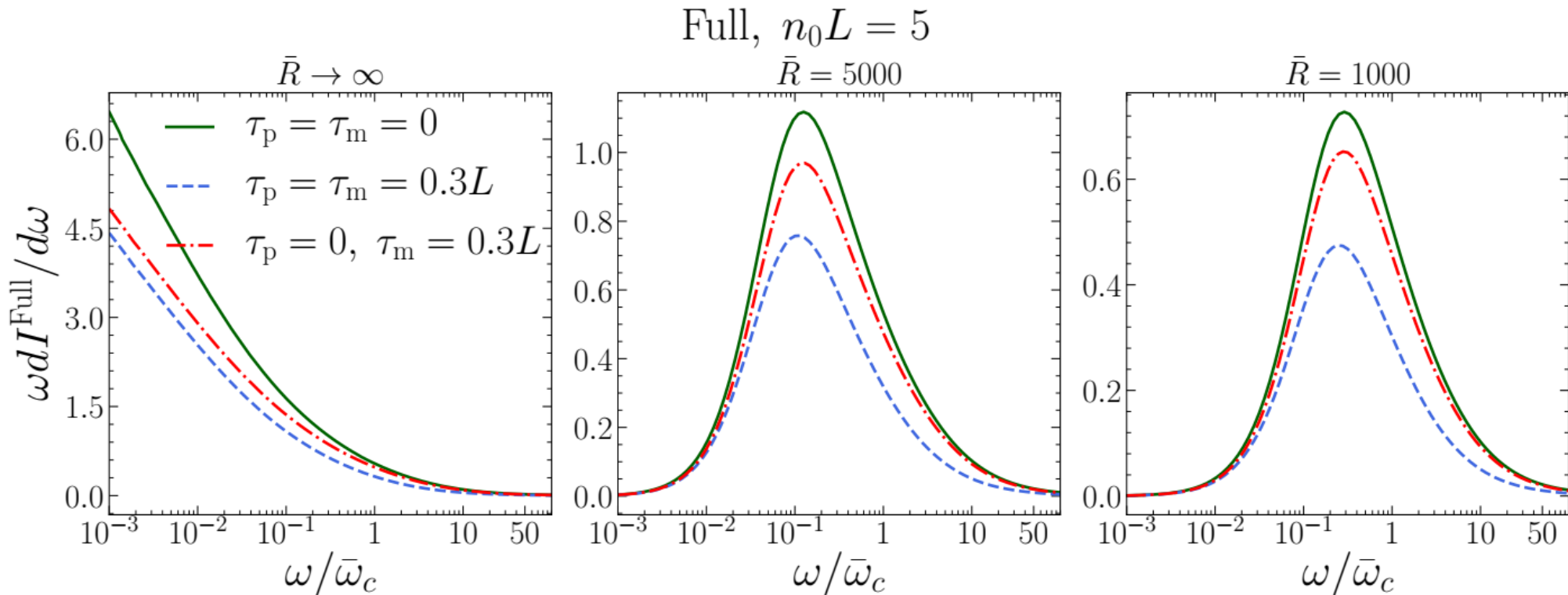


$$\bar{\omega}_c = \frac{1}{2}\mu^2 L$$

$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega' \frac{dI}{d\omega' d^2k}$$

Results full spectrum 2

\bar{R} : kinematical cut-off

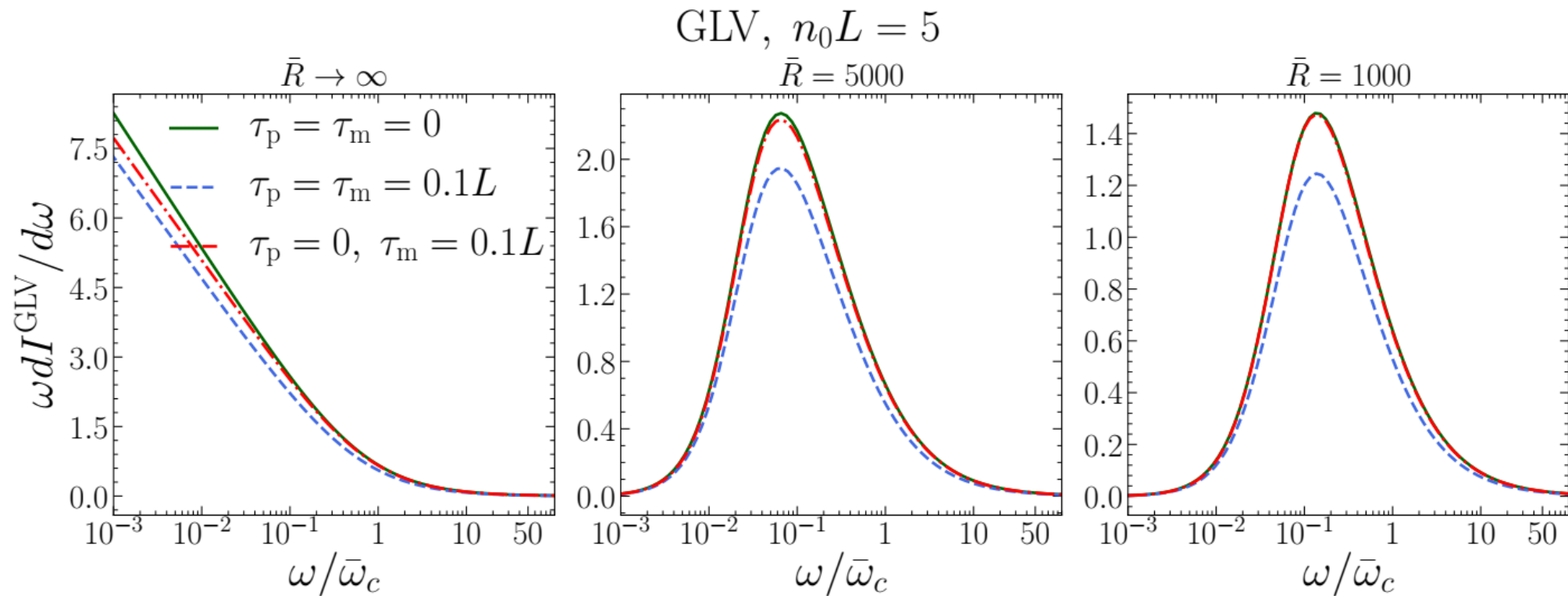


$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega' \frac{dI}{d\omega' d^2k}$$

$$\bar{\omega}_c = \frac{1}{2} \mu^2 L$$

Results GLV 1

\bar{R} : kinematical cut-off

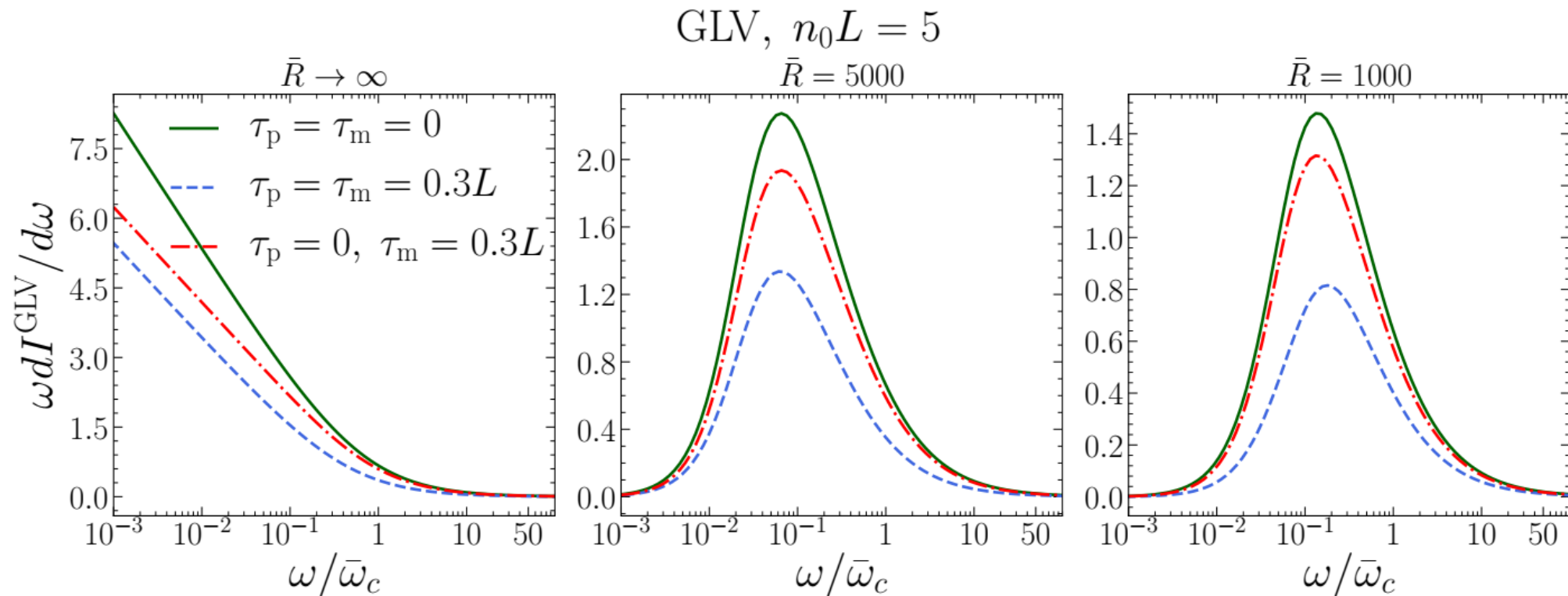


$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega' \frac{dI}{d\omega' d^2k}$$

$$\bar{\omega}_c = \frac{1}{2} \mu^2 L$$

Results GLV 2

\bar{R} : kinematical cut-off

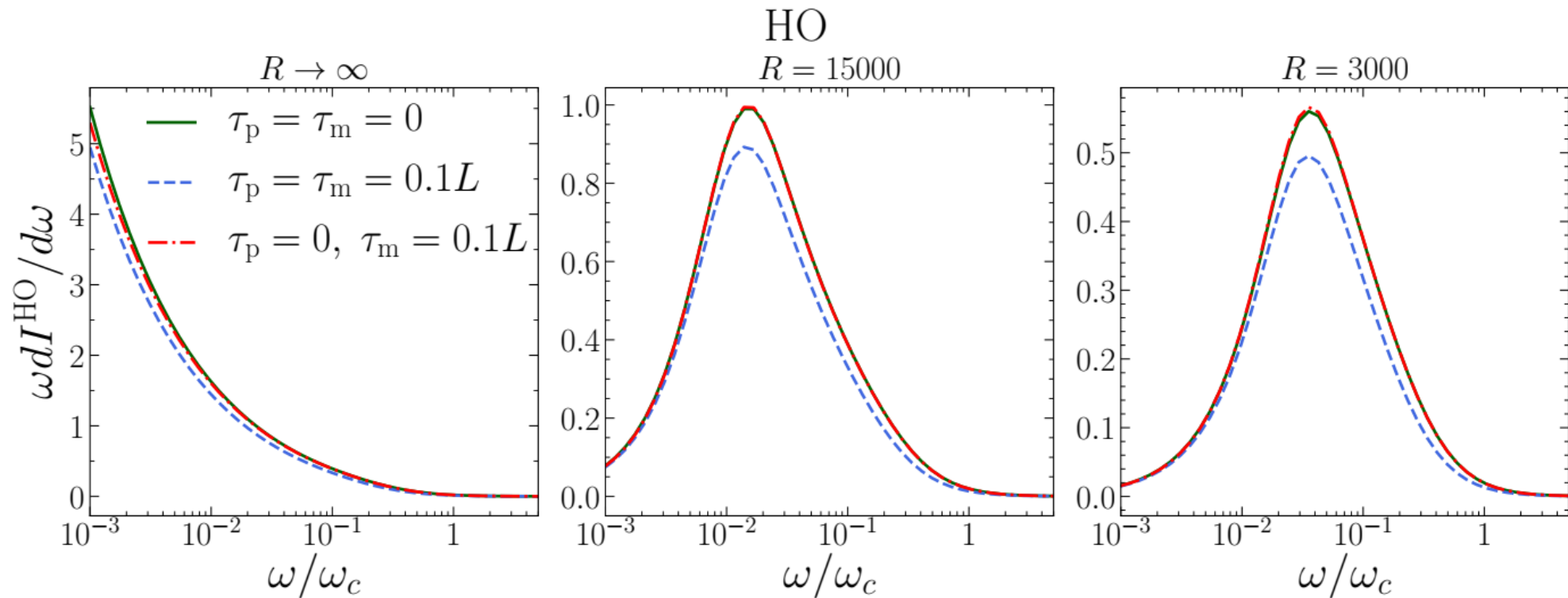


$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega \frac{dI}{d\omega d^2k}$$

$$\omega_c = \frac{1}{2} \hat{q}_0 L^2$$

Results HO 1

R: kinematical cut-off

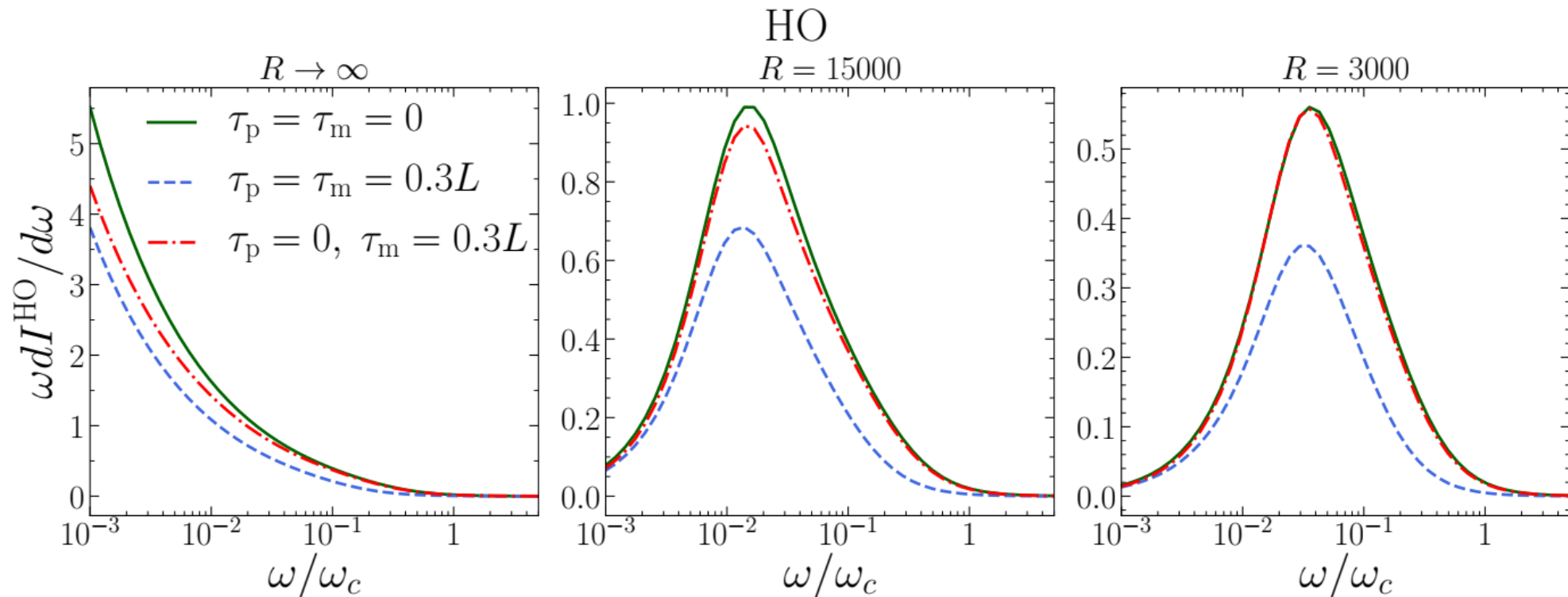


$$\omega \frac{dI}{d\omega} = \int_0^\omega \omega \frac{dI}{d\omega d^2k}$$

$$\omega_c = \frac{1}{2} \hat{q}_0 L^2$$

Results HO 2

R: kinematical cut-off



Azimuthal asymmetry estimation II

We fit Q_{AA} to data using both full result and HO

Full	HO
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$$n(\xi) = C_1 T(\xi), \quad \text{and} \quad \mu^2(\xi) = \frac{6\pi\alpha_s}{e} T^2(\xi)$$

Temperature directly from hydro

Fitting Q_{AA} to data fixes the constant

Case	C_1
A: $\tau_p = \tau_m = 0$ fm	2.2
B: $\tau_p = \tau_m = 1$ fm	4.5
C: $\tau_p = 0$ and $\tau_m = 1$ fm	2.5

$$\hat{q}(\xi) = K_1 T^3(\xi)$$

$$T(\xi) = T_0 \left(\frac{\xi_0}{\xi + \xi_0} \right)^c$$

First fit T to hydro, then fit K_1

Case	K_1
A: $\tau_p = \tau_m = 0$ fm	1.5
B: $\tau_p = \tau_m = 1$ fm	16
C: $\tau_p = 0$ and $\tau_m = 1$ fm	8

Different initial stages give different results: dependence on treatment of early times